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The Virtual Learning Environment for Computer Programming

## Pillars

Segon Concurs de Programació de la UPC - Final (2004-09-29)

The world-famous architect Mr. Fruí from Reus is planning to build a colossal pillar $H$ units high. Mr. Fruí has $n$ black pieces with heights $b_{1}, \ldots, b_{n}$, and $m$ white pieces with heights $w_{1}, \ldots, w_{m}$. According to his design, the pillar must have four pieces: a black piece at its bottom, a white piece above it, another black piece above, and finally a white piece at the top of the pillar.
Mr. Fruí wishes to know which combination of four pieces with total height $H$ is the most stable. Given two combinations $A=\left[a_{1}, a_{2}, a_{3}, a_{4}\right]$ and $B=\left[b_{1}, b_{2}, b_{3}, b_{4}\right]$ (where $a_{1}$ denotes the height of the bottom (black) piece of the pillar $A, a_{2}$ denotes the height of the second (white) piece of $A$, and so on), we say that $A$ is more stable than $B$ if $a_{1}>b_{1}$, or if $a_{1}=b_{1}$ but $a_{2}>b_{2}$, etc. In other words, $A$ is more stable than $B$ if and only if the sequence of heights of the pieces of $A$ is lexicographically larger than the sequence of heights of the pieces of $B$.

Write a program such that, given the desired height $H$ of the pillar, the heights of the black pieces and the heights of the white pieces, computes which pillar (if any) of height exactly $H$ would be the most stable.

## Input

Input consists of several cases, each in three lines. The first line has $H$, an integer number between 1 and $4 \cdot 10^{8}$. The second and third lines consist respectively of $b_{1}, \ldots, b_{n}$ and of $w_{1}, \ldots, w_{m}$. A blank line separates two cases. Assume $2 \leq n \leq 1000$ and $2 \leq m \leq 1000$, and that no piece has a height larger than $10^{8}$.

## Output

For every case, print the sequence of heights of the pieces of the most stable pillar, from bottom to top. If no solution exists, print "no solution".

## Sample input

100
2020
$\begin{array}{llll}30 & 10 & 30 & 50\end{array}$
100
$20 \quad 10 \quad 4$
$50 \quad 30 \quad 45$

## Sample output

## Problem information

Author: Salvador Roura
Generation : 2024-05-03 00:52:59
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